## Chapter 2 Summary Sheet

## Statements and Reasons for Proofs

| Information/Diagram | Statement | Reason |
| :---: | :---: | :---: |
|  | $\mathrm{AC}=\mathrm{AB}+\mathrm{BC}$ | Segment Addition Postulate |
|  | $\mathrm{m} \angle \mathrm{ABC}=\mathrm{m} \angle \mathrm{ABD}+\mathrm{m} \angle \mathrm{DBC}$ | Angle Addition Postulate |
| B is the midpoint of AC | $\mathrm{AB}=\mathrm{BC}$ | Definition of Midpoint |
| $\overrightarrow{\mathrm{BD}}$ bisects $\angle \mathrm{ABC}$ | $\mathrm{m} \angle \mathrm{ABD}=\mathrm{m} \angle \mathrm{DBC}$ | Definition of Angle Bisector |
|  | $\mathrm{m} \angle 1=\mathrm{m} \angle 2$ | Vertical Angles |
|  | $\mathrm{m} \angle 1+\mathrm{m} \angle 2=180^{\circ}$ | Linear Pair |
| $\overline{\mathrm{AB}} \cong \overline{\mathrm{CD}}$ | $\mathrm{AB}=\mathrm{CD}$ | Definition of Congruence |
| $\mathrm{AB}=\mathrm{CD}$ | $\overline{\mathrm{AB}} \cong \overline{\mathrm{CD}}$ | Definition of Congruence |
| $\mathrm{AB}=\mathrm{CD}$ and $\mathrm{CD}=\mathrm{EF}$ | $\mathrm{AB}=\mathrm{EF}$ | Transitive Property |

## Helpful Tips for Completing a Proof:

1. If possible, always label the diagram with the given information or newly acquired information.

Labeling a diagram can make useful information stand out, which may have not otherwise.
Ex: Tick marks for congruent segments, arcs for congruent angles, and numbers for side lengths.
2. Analyze ALL the previous statements when trying to determine how to get the next statement in the proof. For example, sometimes the $5^{\text {th }}$ statement can be constructed using the $1^{\text {st }}$ and $4^{\text {th }}$.

## Addition Property <br> Subtraction Property <br> Multiplication Property <br> Division Property

Substitution Property

## Distributive Property

Simplification

Reflexive Property (Reflection)
Transitive Property (Train)

If $a=b$, then $a+c=b+c$
If $a=b$, then $a-c=b-c$
If $\mathrm{a}=\mathrm{b}$, then $\mathrm{ac}=\mathrm{bc}$
If $\mathrm{a}=\mathrm{b}$ and $\mathrm{c} \neq 0$, then $\mathrm{a} \div \mathrm{c}=\mathrm{b} \div \mathrm{c}$
If $\mathrm{a}=\mathrm{b}$, then a can be substituted for b in any equation or expression
$a(b+c)=a b+a c$
If $x=5+4$, then $x=9$

For any real number $\mathrm{a}, \mathrm{a}=\mathrm{a}$
If $\mathrm{a}=\mathrm{b}$ and $\mathrm{b}=\mathrm{c}$, then $\mathrm{a}=\mathrm{c}$.

