## Geometry Note-Taking Guide

## SECTION 1.3 - Points, Lines, and Planes

A $\qquad$ has no dimension. It is represented by a small dot and named using a capital letter.
Ex:


Point A

A $\qquad$ extends in one dimension and is always straight. Through any two points there is exactly one line. A line can be given a lower case letter name or also be defined by two points on the line. Ex:


Line $\overrightarrow{\mathrm{AB}}$ or line k

A $\qquad$ extends in two dimensions and is always flat. Through any three non-collinear points there is exactly one plane. A plane can be name by a letter in the corner or also be named by three non-collinear points. Ex:


Plane $M$ or plane ABC

Points are $\qquad$
if they lie on the same line.
Ex:


Points D, E and F are collinear

Points are $\qquad$
if they lie on the same plane.
Ex:


Points A, B and C are coplanar

Points are $\qquad$
if they do $\qquad$ lie on the same line.
Ex:


Points X, Y and Z are noncollinear

Points are $\qquad$ if they do $\qquad$ lie on the same plane.
Ex:


Points R, S, T, and U are noncoplanar

Consider $\stackrel{\rightharpoonup}{\mathrm{AB}}$.

A $\qquad$ is a portion
of a line consisting of $\qquad$ endpoints.

A $\qquad$ is a portion of a line with
$\qquad$ endpoint and extends to infinity in one direction.
Important: When naming a ray the first letter is the starting point.

Ex: Line $\overrightarrow{\mathrm{AB}}$ or $\overrightarrow{\mathrm{BA}}$


Ex: Segment $\overline{\mathrm{AB}}$ or $\overline{\mathrm{BA}}$


Ex: Ray $\overrightarrow{\mathrm{AB}}$
Ray $\overrightarrow{\mathrm{BA}}$


Two or more geometric figures $\qquad$ or $\qquad$
more points in common.
Ex: a)

$\overrightarrow{\mathrm{AB}}$ and $\overrightarrow{\mathrm{CD}}$
intersect at point E
b)


Line k and plane $M$ intersect at point A


Plane $M$ and plane $P$ intersect at $\overrightarrow{\mathrm{AB}}$

## Ex 1:

Determine whether the given statement is true or false.
a) Points $\mathrm{S}, \mathrm{P}$, and T are collinear.
b) Points S, P, T, and V are noncoplanar.
c) Points S, P, Q, and V are coplaner.
d) Points S, P, and Vare noncollinear.
e) Line $n$ and line $m$ intersect at point $P$.
f) $\overparen{\mathrm{PQ}}$ and plane R intersect at point S .

g) Line m and plane R intersect at point T .

## Ex 2:

Decide whether the statement is true or false.
a) Points $\mathrm{A}, \mathrm{C}$, and E are collinear.
b) Points A, B, C and F are coplanar.
c) Point E, C, and D are noncollinear.
d) Points A, C, D, and F are coplanar.
e) Point A lies on $\overleftrightarrow{\mathrm{CB}}$.
f) Point $B$ lies on $\overrightarrow{C A}$.
g) Point F lies on plane $P$.
h) $\overparen{\mathrm{AB}}$ and line $k$ are the same line.
i) $\overline{\mathrm{CE}}$ and $\overline{\mathrm{CD}}$ are part of line $\ell$.

j) The intersection of plane $M$ and plane $P$ is $\overrightarrow{\mathrm{ED}}$.
k) The intersection of plane $M$ and plane $P$ is $\overrightarrow{\mathrm{AB}}$.

1) $\overleftrightarrow{\mathrm{AB}}$ and line $\ell$ intersect.
m) $\overrightarrow{\mathrm{CA}}$ and $\overrightarrow{\mathrm{CD}}$ intersect at point E .
n) $\overline{\mathrm{AF}}$ and $\overline{\mathrm{CD}}$ intersect at point E .
