Geometry Note-Taking Guide	Name:
Geometry Hote Funning Guide	Period:
Section 7.4 – Trigonometric Ratios	
A is a ratio of the len	gths of two sides of a <u>right</u> triangle.
The three basic trigonometric ratios are,,	,, which
are abbreviated as,, respectively.	
Trigonometric Ratios	
Let $\triangle ABC$ be a <u>right triangle</u> . The sine, the cosine, and the tangent of the acute angle $\angle A$ are defined as follows.	
$\sin A = \frac{\text{side opposite of } \angle A}{\text{hypotenuse}} = \frac{a}{c}$ hypotenuse	C B side a opposite of
$\cos A = \frac{\text{side adjacent to } \angle A}{\text{hypotenuse}} = \frac{b}{c}$	$ \begin{array}{c} a \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ $

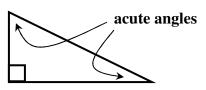
 $\tan A = \frac{\text{side opposite of } \angle A}{\text{side adjacent to } \angle A} = \frac{a}{b}$

A b side adjacent to ∠A

Acronym to help remember trig ratios:_

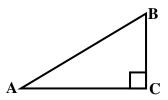
Big Question: What is the purpose of trigonometric ratios?

Trig ratios are only applied to the acute angles of a right triangle. If you know the measure of <u>one acute angle</u> of a right triangle and you know <u>one side length</u>, then you can solve for the other two side lengths.

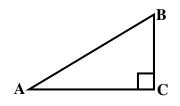


Ex 1:

a) Label the sides that in relation to ∠A are opposite, adjacent, and the hypotenuse.



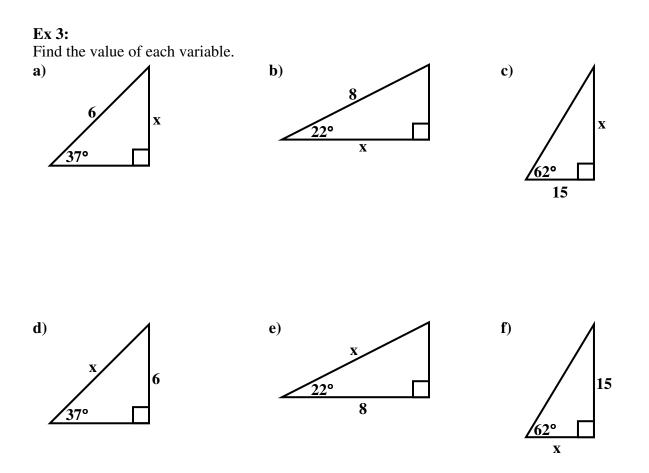
b) Label the sides that in relation to $\angle B$ are opposite, adjacent, and the hypotenuse.



Ex 2:

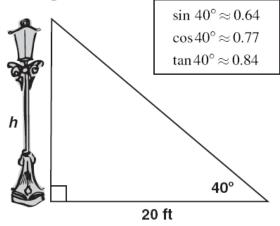
Find the sine, cosine, and tangent of angle A and angle B.

 $A \xrightarrow{5} G^{B}$

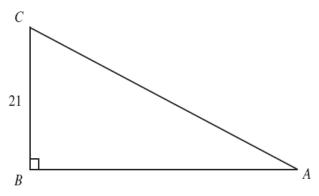


Ex 4:

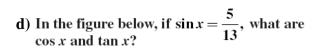
a) Approximately how many feet tall is the streetlight?

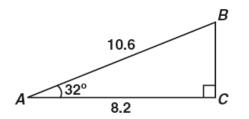


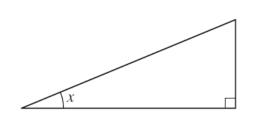
b) In the figure below, $\sin A = 0.7$. What is the length of \overline{AC} ?



c) Right triangle *ABC* is pictured below.







Which equation gives the correct value for *BC*?

$$\mathbf{A} \quad \sin 32^\circ = \frac{BC}{8.2}$$
$$\mathbf{B} \quad \cos 32^\circ = \frac{BC}{10.6}$$

C
$$\tan 58^\circ = \frac{8.2}{BC}$$

$$\mathbf{D} \quad \sin 58^\circ = \frac{BC}{10.6}$$